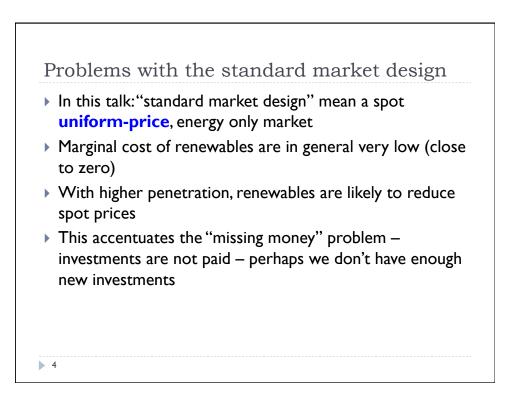


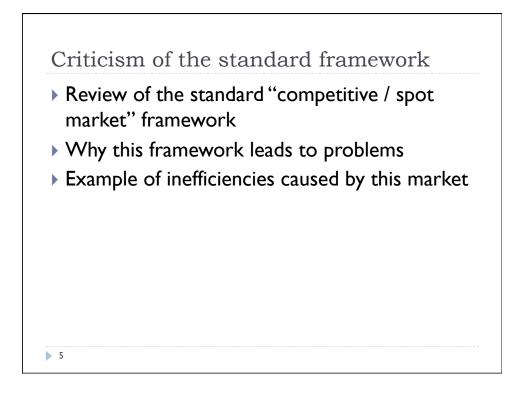
## Current challenges to the design of electricity markets

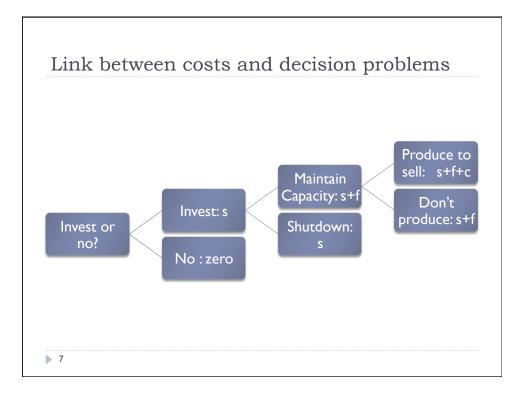
## Desire for cleaner power generation

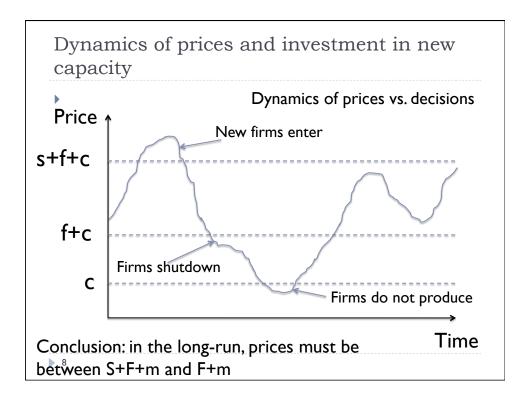
- retiring dirty coal plans
- increasing penetration of renewables
- Problems
  - How to induce this transformation through the design of electricity markets?
  - Even if these changes are implemented somehow, is the standard market design suitable for large penetration of renewables?

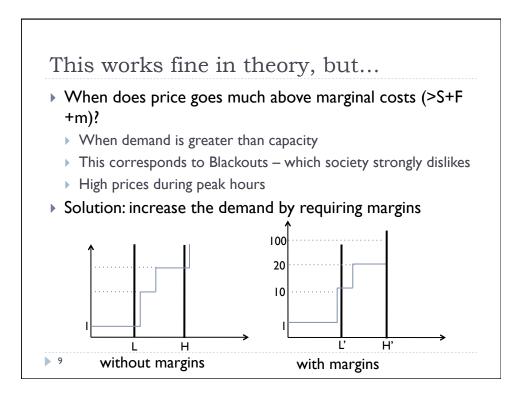
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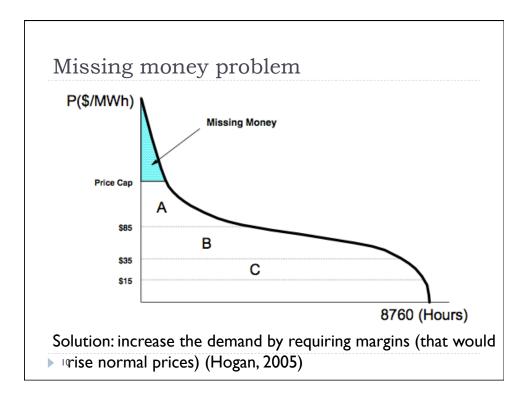


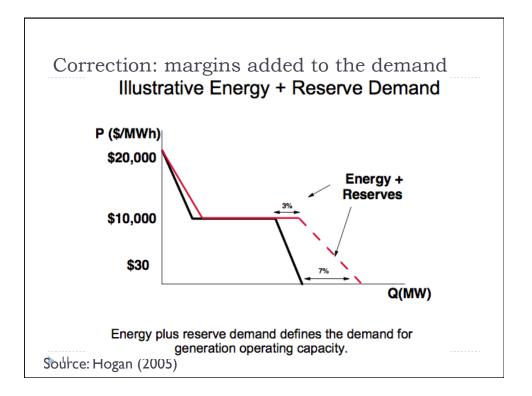








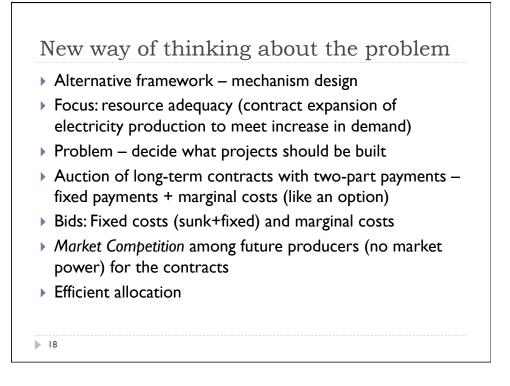


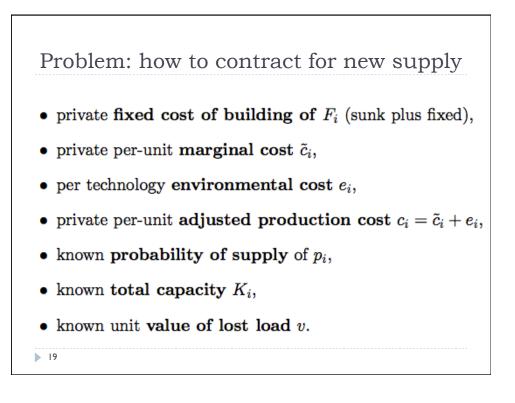


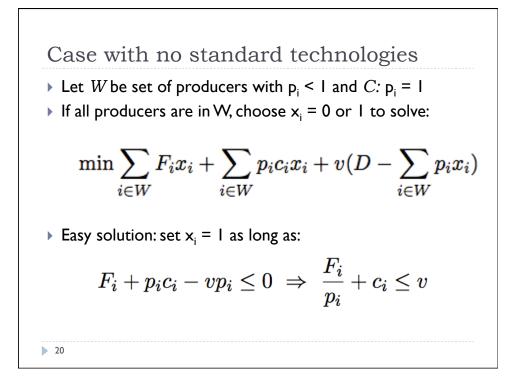
	Reliability Targeting	Replace Missing Money	Years new unit covered	Contract Type	Price-Based Performance Incentives	Hedge Extent & Type*
Energy-Only Design Track						
Wolak: contract adequacy	None	No	0	Financial	Weak	Approx.
Oren: call options	None	No	0	Physical	Weak	Approx.
Chao-Wilson: call options	None	No	Yrs. > 0	Physical	Weak	Approx.
Hogan / MISO: energy-only	Price	Yes	0	Financial	Yes	Approx.
Convergent Design Track						
Singh: combined option ICAP	Q/P	Partial	0	Physical	Weak	L. Follow
ISO-NE's LICAP / CPUC	Quantity	Yes	0	Physical	Yes	Over
Bidwell-Henney: call options	Quantity	Yes	4	Physical	Weak	Over
Cramton-Stoft FCM	Quantity	Yes	4—5	Physical	Yes	L. Follow
ICAP Design Track						
Current Northeast ICAPs	Quantity	Yes	0	Physical	No	No
CRAM / PJM Proposal	Quantity	Yes	3	Physical	No	No

Source: Cramton and Stoft (2006): "The convergence of market designs for adequate generating capacity"

An example
<ul> <li>Main reason for using auctions: private information</li> </ul>
<ul> <li>Suppose that:</li> </ul>
<ul> <li>Demand is 1 (for sure)</li> </ul>
Wind generator: fixed and marginal cost: 0; produces 1 with probability q < 1
Two standard generators: (private information) cost is c_i
They face uncertain demand with probability q it will be 0 unit and with probability 1-q it will be 1 units
Optimal solution: build one unit if q E[c <sub>i</sub> ] + F <sub>i</sub> < (I-q) V
Generators observe private information and decide
(independently) to enter or not – let $E_i$ be the event of
entering and assume that $Pr(E_i) > 0$
With positive probability $Pr(E_1E_2)=Pr(E_1)Pr(E_2)>0$ , two enter







Problem for the standard producers • For producer i and demand j:  $b_{ij} = F_i + c_i Pr(d \ge j) = F_i + c_i [1 - F_K(j - 1)]$ Fix the set  $K \subseteq W$  and consider  $h(K) = \min \sum_{i \in C} \sum_{j=1}^D b_{ij} x_{ij}$ s.t.  $\sum_{j=1}^D x_{ij} \le 1 \ \forall i \in C$   $\sum_{i \in C} x_{ij} = 1 \ \forall 1 \le j \le D$  $x_{ij} \in \{0, 1\}$ 

